

Finding the Perfect Baseline:

Advanced Time Series Control Group Matching Strategies on Energy Consumption

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**ENERGY RESEARCH
AND EVALUATION**

Presentation Focus: Difference-in- Differences and the Selection of a Control Group

Objective: Understand the impacts of an energy efficiency measure through statistical analysis of billing or meter data.

Approach: Compare the kWh consumption across four regimes

- Treatment group pre-installation
- Treatment group post-installation
- Control group pre-installation
- Control group post-installation

Challenge: *How can we be sure that our control group is an accurate representation of the counterfactual?*

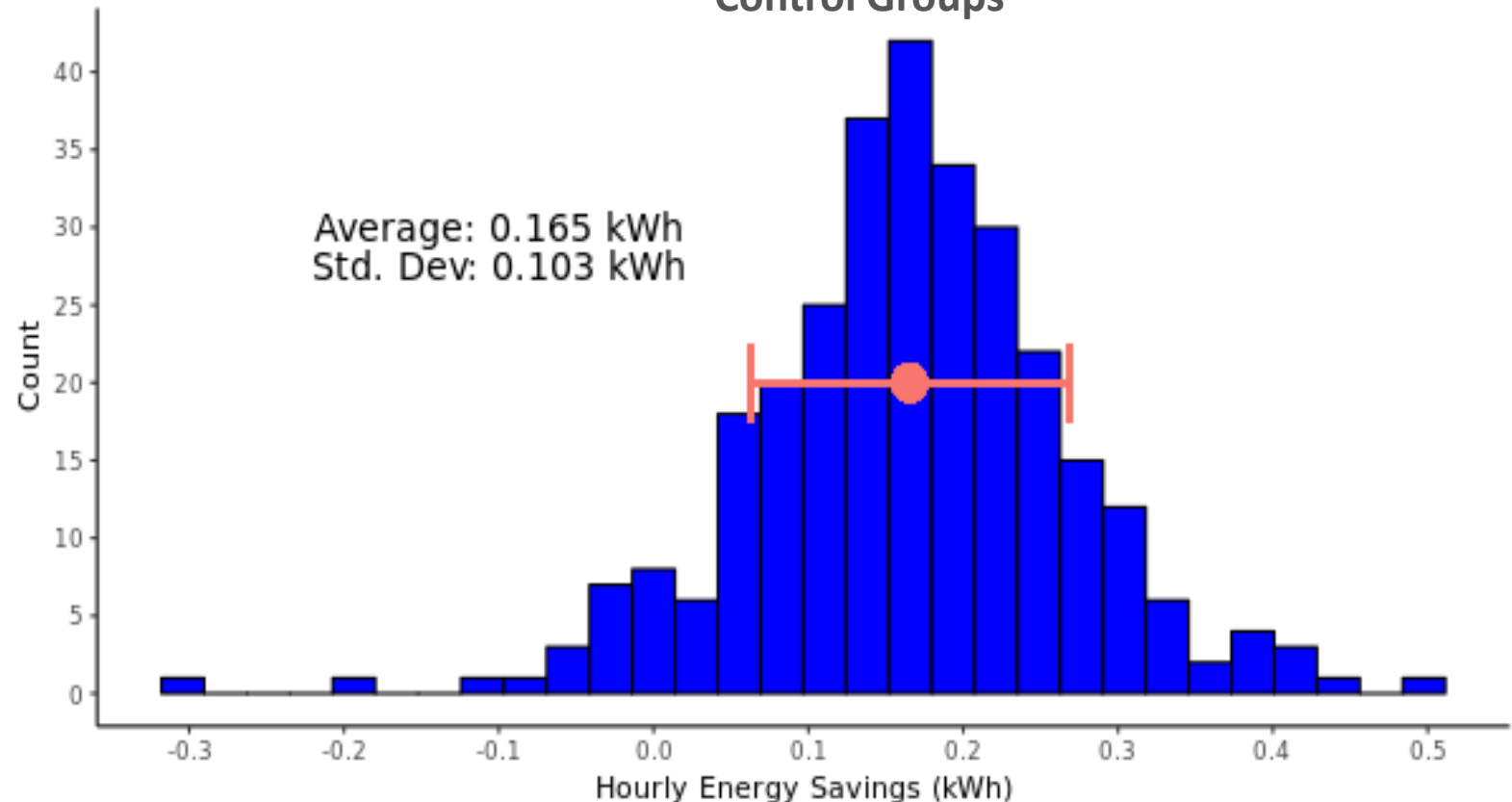


Data Exploration

15-minute AMI
Smart Meter

- Abnormal data points / Non-steady state
 - Low occupancy
 - Drastic consumption changes (i.e. Multifamily)
- Random Matching
 - Gives idea of expected range and variation

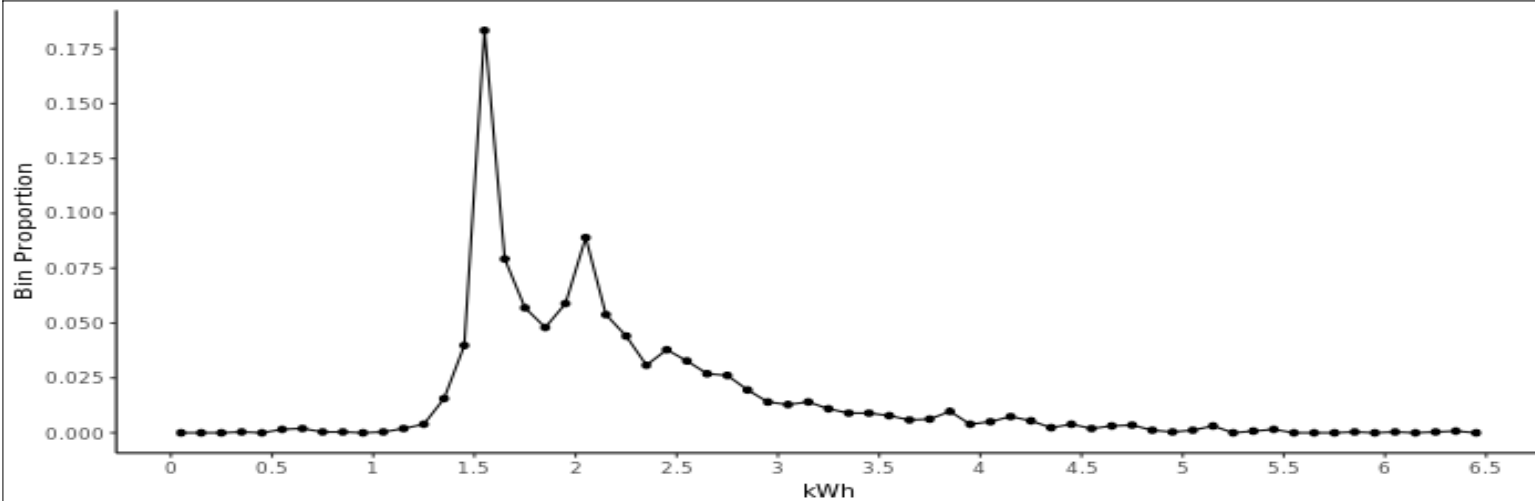
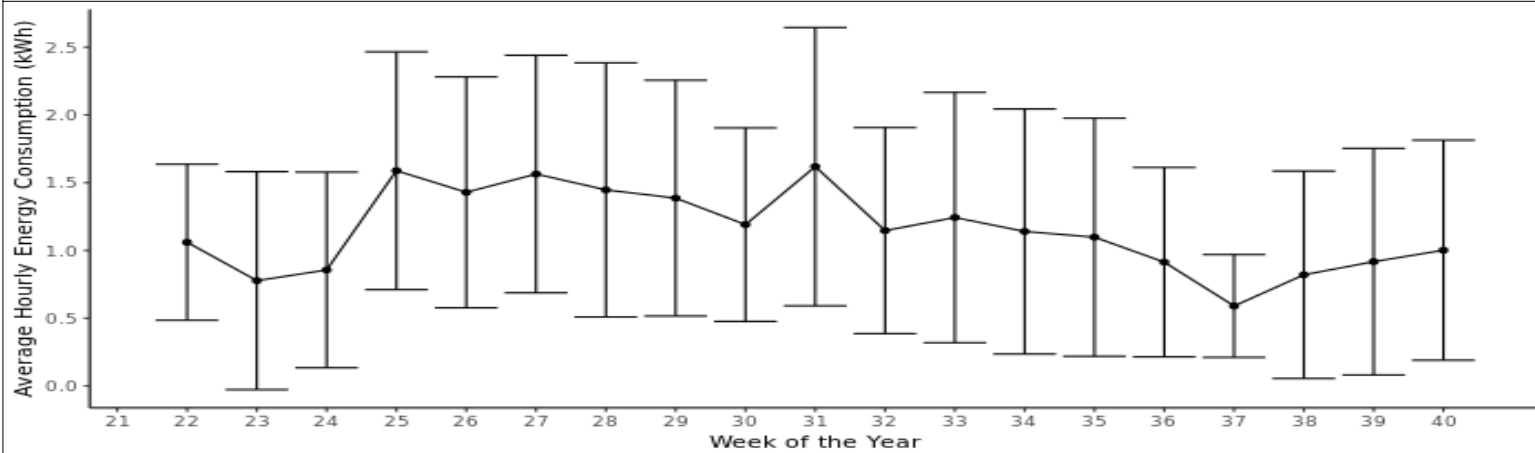
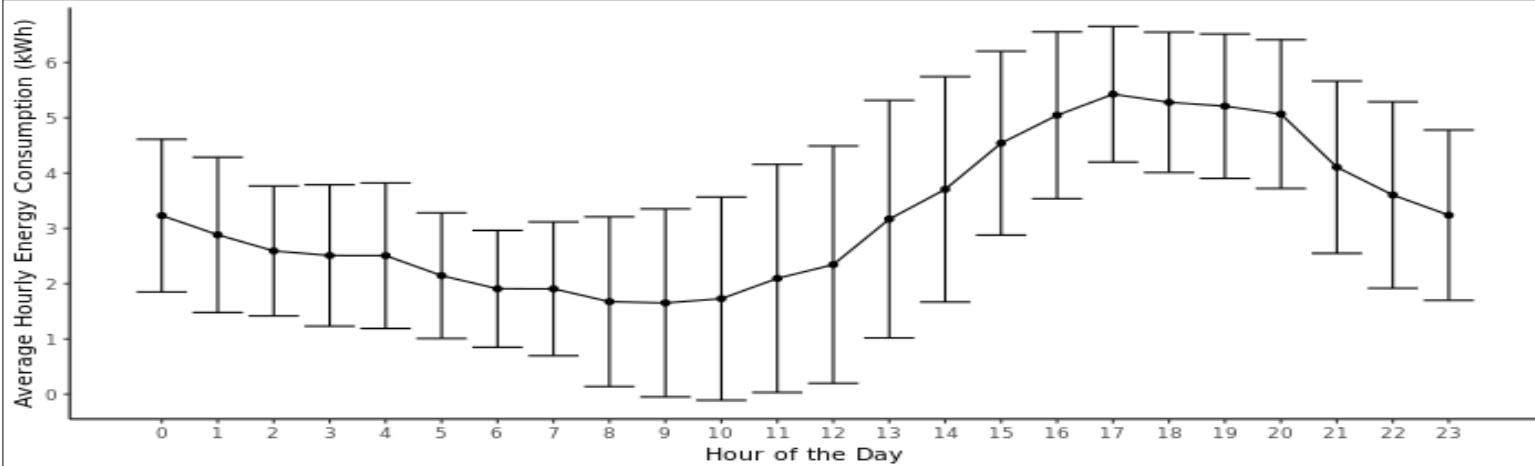
Results of Diff-in-Diff Analysis on 300 Unique Randomly Selected Control Groups



Developing a Covariate Set

3 Covariate Set Options:

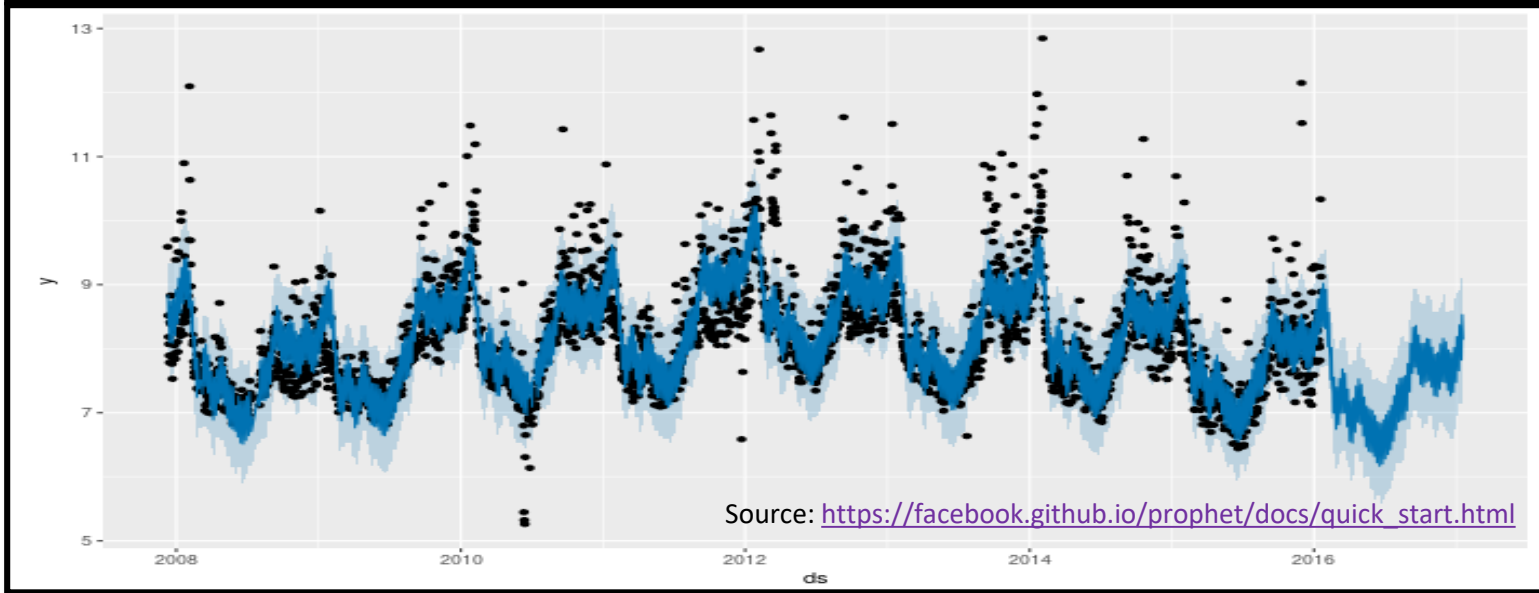
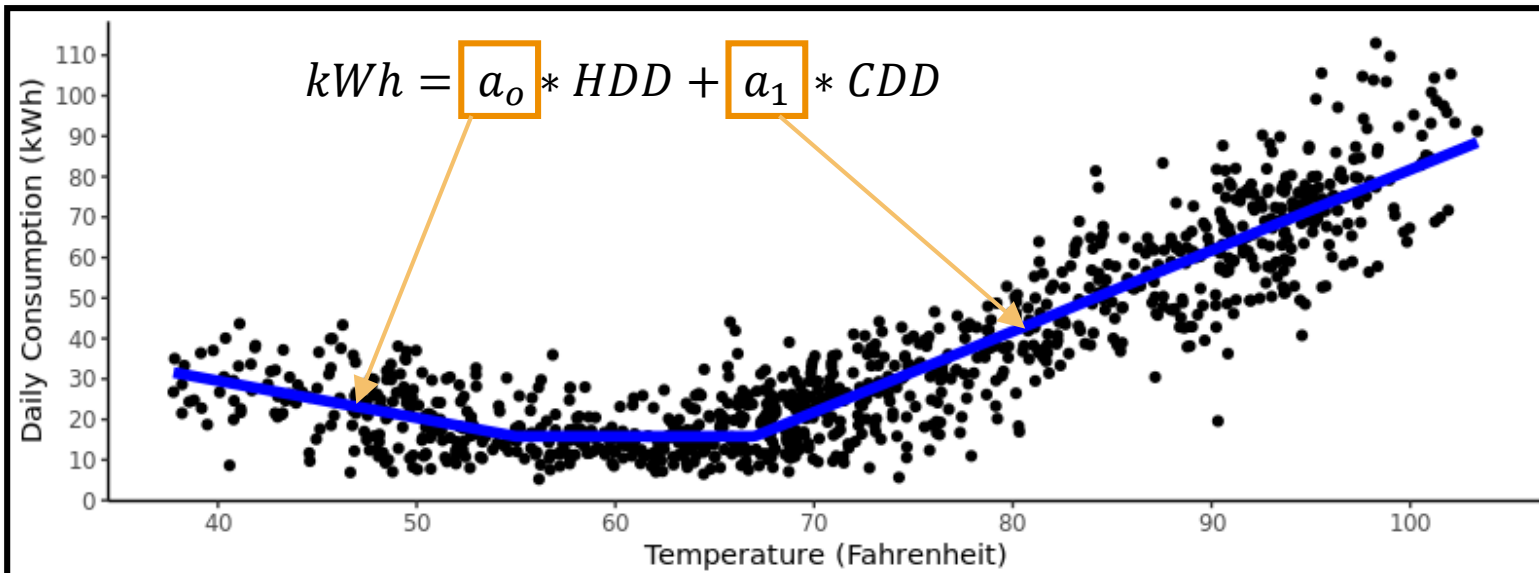
- 24-Hour Curve
- Weekly Average
- Normalized Histogram Curve



Developing a Covariate Set

3 More Covariate Set Options:

- Temperature Response
- Facebook's Prophet
- Manual Regression Modeling



$$kWh_i(t_i) = \alpha_1 * \sin \frac{2\pi}{\omega t_i} + \alpha_2 * \cos \frac{2\pi}{\omega t_i} + \alpha_3 * Weather + \alpha_4 * Month$$



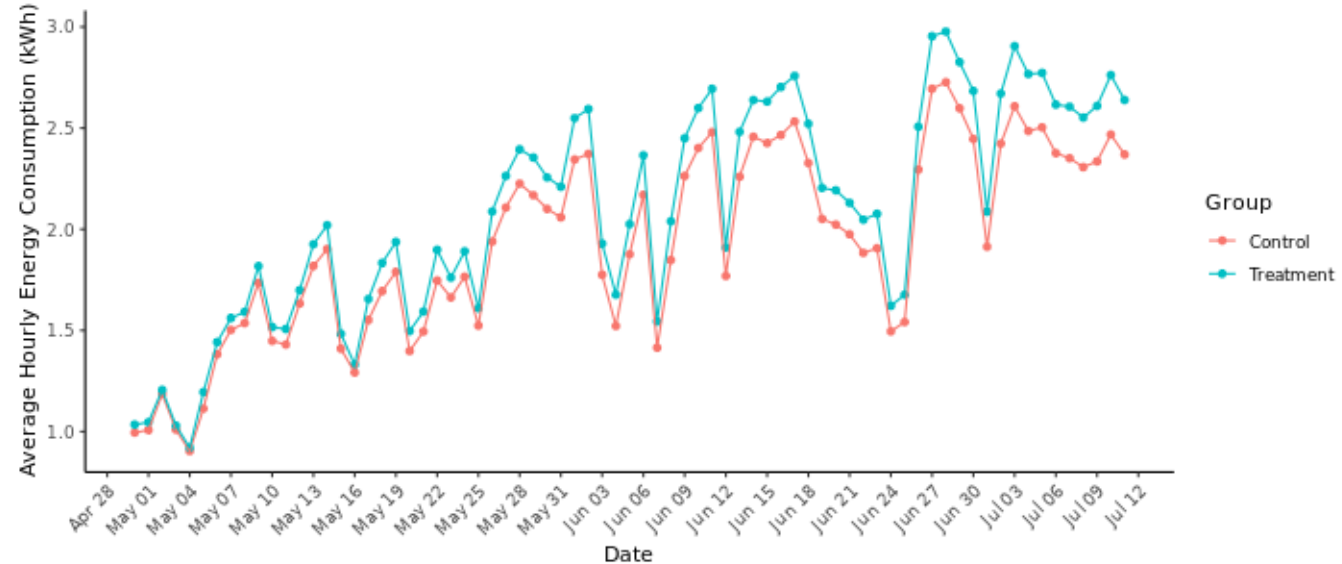
Matching Algorithms

- Propensity Score
- Absolute Difference
 - $d(\mathbf{q}, \mathbf{p}) = \sum_{i=1}^n (q_i - p_i)$
 $= (q_1 - p_1) + (q_2 - p_2) + \dots + (q_n - p_n)$
- Euclidean Distance
 - $d(\mathbf{q}, \mathbf{p}) = \sqrt{\sum_{i=1}^n (q_i - p_i)^2}$
 $= \sqrt{(q_1 - p_1)^2 + (q_2 - p_2)^2 + \dots + (q_n - p_n)^2}$
- Vector Angle Difference
 - $\theta(\mathbf{q}, \mathbf{p}) = \cos^{-1} \frac{\mathbf{q} \cdot \mathbf{p}}{\|\mathbf{q}\| \|\mathbf{p}\|}$
 $= \cos^{-1} \frac{q_1 p_1 + q_2 p_2 + \dots + q_n p_n}{\sqrt{q_1^2 + q_2^2 + \dots + q_n^2} \sqrt{p_1^2 + p_2^2 + \dots + p_n^2}}$



Reviewing Results

- ✓ 1. *Are results reasonable?*
 - ✓ • Within random matching range?
 - ✓ • Agree with engineering calculations?
- ✓ 2. *Has the parallel trends assumption been satisfied?*



- ✓ 3. *Are results consistent?*
 - ✓ • Stable under multiple iterations of varying data subsets?
 - ✓ • Stable under other high-ranking control group matches?

Questions?

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